# University of Mumbai 

## Examination 2020

Program: Computer Engineering \& IT
Curriculum Scheme: Rev2012/2016
Examination: Second Year Semester III
Course Code: SEITC 301 (CBSGS ) and Course Name: Applied Mathematics-III

All the Questions are compulsory and carry equal marks.

| Q1. | Inverse Laplace transform of $f(s)=\frac{s}{s+1}$ is |
| :---: | :---: |
| Option A: | $\delta(t)-e^{-t}$ |
| Option B: | $H(t)-e^{t}$ |
| Option C: | $\delta(t)+e^{t}$ |
| Option D: | $H(t)+e^{t}$ |
| Q2. | Complex form of Fourier series in interval ( $-1,1$ ) is |
| Option A: | $\sum_{-\infty}^{\infty} c_{n} e^{\frac{i n \pi x}{L}}$ |
| Option B: | $\sum_{n=1}^{\infty} c_{n} e^{i n \pi x}$ |
| Option C: | $\sum_{-\infty}^{\infty} c_{n} e^{i n \pi x}$ |
| Option D: | $\sum_{-\infty}^{\infty} c_{n} e^{n x}$ |
| Q3. | Given $f(t)=\sin$ at, then Laplace transform of $f^{\prime}(t)$ is |
| Option A: | 0 |
| Option B: | $\frac{s}{s^{2}+a^{2}}$ |
| Option C: | $\frac{a s}{s^{2}+a^{2}}$ |
| Option D: | $\frac{s}{\left(s^{2}+a^{2}\right)^{2}}$ |
| Q4. | The coefficient $a_{0}$ in Fourier series expansion of $f(x)=x^{2},(0,2 \pi)$ is |
| Option A: | 0 |
| Option B: | $\frac{4 \pi^{2}}{3}$ |


| Option C: | $\frac{\pi^{2}}{4}$ |
| :---: | :---: |
| Option D: | $\frac{\pi}{2}$ |
| Q5. | If imaginary part of $f(z)=u+i v$ is $e^{x} \sin y$, then $f(z)$ is |
| Option A: | $e^{i z}$ |
| Option B: | $e^{-i z}$ |
| Option C: | $e^{-z}$ |
| Option D: | $e^{z}$ |
|  |  |
| Q6. | Laplace transform of $f(t)=e^{t} \sin 2 t$ is |
| Option A: | $\frac{2}{s^{2}-2 s+5}$ |
| Option B: | $-\frac{2}{s^{2}-2 s+5}$ |
| Option C: | $\frac{s}{s^{2}+2 s+5}$ |
| Option D: | $\frac{s+1}{s^{2}+2 s+5}$ |
| Q7. | Fourier coefficient $b_{n}$ in expansion of $f(x)=\|x\| \sin x$ in interval $(-\pi, \pi)$ is |
| Option A: | $\pi(-1)^{n}$ |
| Option B: | $\frac{n}{\frac{\pi}{n}(-1)^{n+1}}$ |
| Option C: | 0 |
| Option D: | $\frac{\pi^{2}}{n}$ |
| Q8. | If $f(z)=r^{2} \cos 2 \theta+i \sin p \theta$ is an analytic function , then value of $p$ is, |
| Option A: | ( 1 |
| Option B: | 0 |
| Option C: | 2 |
| Option D: | 4 |
| Q9. | Inverse Laplace transform of $f(s)=\frac{1}{s(s+4)}$ is |
| Option A: | $\underline{1+e^{-4 t}}$ |
| Option B: | $\frac{t}{\frac{1+e^{4 t}}{t^{2}}}$ |
| Option C: | $\frac{1-e^{-4 t}}{4}$ |
| Option D: | $\cos 4 t$ |


| Q10. | If $f(z)=u+i v$ is a harmonic function, then it will satisfy the differential equation |
| :---: | :---: |
| Option A: | $\frac{\partial u}{\partial x}+\frac{\partial u}{\partial y}=0$ |
| Option B: | $\frac{\partial^{2} u}{\partial x^{2}}-\frac{\partial^{2} u}{\partial y^{2}}=0$ |
| Option C: | $\frac{\partial^{2} u}{\partial z \partial \bar{z}}=0$ |
| Option D: | $\frac{\partial^{2} v}{\partial x^{2}}-\frac{\partial^{2} v}{\partial y^{2}}=0$ |
| Q11. | If $\emptyset=\left(x^{2}+y^{2}+z^{2}\right)$ then $\operatorname{grad} \emptyset$ at $(1,1,1$, |
| Option A: | 0 |
| Option B: | $2 \hat{\imath}+2 \hat{\jmath}+2 \hat{k}$ |
| Option C: | $\underline{2 \hat{\imath}+2 \hat{\jmath}+2 \hat{k}}$ |
|  | $\sqrt{8}$ |
| Option D: | $\sqrt{8}$ |
| Q12. | If $f(x)=\cos x$ defined in $(-\pi, \pi)$ then the value Fourier coefficient $b_{n}$ is |
| Option A: | 0 |
| Option B: | $\pi$ |
| Option C: | $\frac{\pi}{\left(n^{2}-1\right)}$ |
| Option D: | $\frac{2 \pi}{\left(n^{2}-1\right)}\left[(-1)^{n}-1\right]$ |
| Q13. | A transformation $w=\frac{a z+b}{c z+d}$, is said to be bilinear if |
| Option A: | $a d-b c=0$ |
| Option B: | $a d-b c \neq 0$ |
| Option C: | $a c-b d=0$ |
| Option D: | $a c-b d \neq 0$ |
|  |  |
| Q14. | The critical points of transformation $w=z+\frac{1}{z}$ are |
| Option A: | $\pm 1$ |
| Option B: | $\pm i$ |
| Option C: | $\pm \frac{1}{2}$ |
| Option D: | $\pm \frac{i}{2}$ |
| Q15. | For a discrete random variable |
| Option A: | $\sum p_{i}=0$ |
| Option B: | $\sum p_{i}=-1$ |
| Option C: | $\sum p_{i}=1$ |


| Option D: | $\sum p_{i}=1 / 2$ |
| :---: | :---: |
| Q16. | Image of a circle $\|z\|=a$ under the transformation $w=z=3+2 i$ is a |
| Option A: | Circle |
| Option B: | Ellipse |
| Option C: | Hyperbola |
| Option D: | Straight line |
| Q17. | The value of integral $\int_{0}^{\infty} \frac{e^{-t} \sin t}{t} d t$ is |
| Option A: | $\frac{\pi}{2}$ |
| Option B: | $\frac{\pi}{4}$ |
| Option C: | $\pi$ |
| Option D: | 1 |
|  |  |
| Q18. | A continuous random variable has pdf $f(x)=k\left(x-x^{2}\right), 0 \leq x \leq 1$. Then $k$ is, |
| Option A: | 1 |
| Option B: | 1/2 |
| Option C: | 1/3 |
| Option D: | 6 |
|  |  |
| Q19. | Half range sine series of a function $f(x)$ in ( $0, l)$ is given by |
| Option A: | $\sum_{n=1}^{\infty} b_{n} \sin \frac{n \pi x}{l}$ |
| Option B: | $b_{0}+\sum_{n=1}^{\infty} b_{n} \sin \frac{n \pi x}{l}$ |
| Option C: | $a_{0}+\sum_{n=1}^{\infty} b_{n} \sin \frac{n \pi x}{l}$ |
| Option D: | $a_{0}-\sum_{n=1}^{\infty} b_{n} \sin n x$ |
|  |  |
| Q20. | For a discrete random variable the mean is |
| Option A: | $\sum p_{i}=1$ |
| Option B: | $\sum x_{i} p_{i}$ |
| Option C: | $\sum x_{i}{ }^{2} p_{i}$ |
| Option D: | $\sum x_{i}{ }^{2} p_{i}-\left(\sum x_{i} p_{i}\right)^{2}$ |
|  |  |


| Q2. <br> (20 Marks) | Solve any Four out of Six (5 marks each) |
| :---: | :--- |
| A | Find the inverse Laplace Transform of $\frac{s^{2}}{\left(s^{2}+a^{2}\right)\left(s^{2}+b^{2}\right)}$ |
| B | Find the Fourier constant $a_{n}$ for $f(x)=x^{2}$, where $0 \leq x \leq a$. |
| C | Find the analytic function $f(z)$ whose imaginary part is $v=\frac{y}{x^{2}+y^{2}}$. |
| D | Find the inverse Laplace Transform of $\log \left(\frac{s+1}{s-1}\right)$ |
| E | A continuous random variable has pdf $f(x)=k\left(x-x^{3}\right), 0 \leq x \leq 1 . ~ F n d ~$ <br> $k$ and mean. |
| F | The two lines of regression are $4 Y=X+38 a n d ~$ <br> respective means of $X$ and $Y$ and $r$. |


| Q3. <br> (20 Marks) | Solve any Four out of Six (5 marks each) |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| A | $\text { Evaluate } \int_{0}^{\infty} \frac{\text { Cosat-Cosbt }}{t} d t .$ |  |  |  |  |  |  |  |
| B | If a random variable has a moment generating function $M_{t}=\frac{3}{3-t}$, find the mean and standard deviation. |  |  |  |  |  |  |  |
| C | Find $L\left\{e^{5 t}+4 t^{3}\right\}$ |  |  |  |  |  |  |  |
| D | The pdf of a random variable $X$ is |  |  |  |  |  |  |  |
|  | X | 0 | 1 | 2 | 3 | 4 | 5 | 6 |
|  | $\mathrm{P}(\mathrm{X}=\mathrm{x})$ | k | 3k | 5k | 7k | 9k | 11k | 13k |
|  | Find $P(2 \leq x \leq 6)$ |  |  |  |  |  |  |  |
| E | Determine the constants $a, b, c, d$ if $f(z)=x^{2}+2 a x y+b y^{2}+$ $i\left(c x^{2}+2 d x y+y^{2}\right)$ is analytic. |  |  |  |  |  |  |  |
| F | A man speaks truth 3 times out of 5 . When a die is thrown he states that it gave an ace. What is the probability that this event has actually happened? |  |  |  |  |  |  |  |

## University Mumbai

Examination 2020
Examinations Commencing from 7 ${ }^{\text {th }}$ January 2021 to $20^{\text {th }}$ January 2021
Program: Computer Engineering
Curriculum Scheme: Rev2012
Examination: SESemesterIII
Course Code: CSC305 and Course Name: Discrete Structure
Time: 2 hour
Max. Marks: 80

| Q1. | Choose the correct option for following questions. All the Questions are compulsory and carry equal marks |
| :---: | :---: |
| 1. | 1) If $A=\{1,2,3,4,5\}$ and $B=\{4,5,6,7,8\}$ then the sets $A \cap B$ and $A-B$ are |
| $\begin{gathered} \text { Optio } \\ \text { n A: } \end{gathered}$ | Equal sets |
| $\begin{gathered} \hline \text { Optio } \\ \text { n B: } \end{gathered}$ | Independent sets |
| $\begin{gathered} \text { Optio } \\ \text { n C. } \end{gathered}$ | Disjoint sets |
| Optio <br> n D: | Dependent sets |
| 2. | If $A$ and $B$ are sets and $A \cup B=A \cap B$, then |
| $\begin{gathered} \hline \text { Optio } \\ \text { n A: } \end{gathered}$ | $\mathrm{A}=\Phi$ |
| $\begin{gathered} \text { Optio } \\ \text { n B: } \end{gathered}$ | $\mathrm{B}=\Phi$ |
| $\begin{gathered} \hline \text { Optio } \\ \text { n C: } \end{gathered}$ | $\mathrm{A}=\mathrm{B}$ |
| $\begin{gathered} \text { Optio } \\ \mathrm{n} \text { D: } \end{gathered}$ | A $\ddagger$ B |
| 3. | $(A \vee \neg A) \vee(q \vee T)$ is a |
| Optio | Tautology |



| 6. | Let $A=\{1,2,3,4,5,6,7,8\}$ and a relation $R$ on $A$ is defined as $R=\{(a, b): a-b$ is divisible by 2$\}$. The equivalence class of 2 |
| :---: | :---: |
| $\begin{gathered} \text { Optio } \\ \text { n A: } \end{gathered}$ | \{1,2,3,4\} |
| $\begin{gathered} \hline \text { Optio } \\ \text { n B: } \end{gathered}$ | $\{1,2,4,8\}$ |
| $\begin{gathered} \text { Optio } \\ \text { n C: } \end{gathered}$ | $\{2,4,6,8\}$ |
| $\begin{gathered} \text { Optio } \\ \text { n D: } \end{gathered}$ | \{1,3,5\} |
| 7. | Let $\mathrm{A}=\{1,2,3\}$ and $\mathrm{R}=\{(1,1),(1,2),(3,1),(3,3)\}$ Find symmetric closure of R |
| $\begin{gathered} \text { Optio } \\ \text { n A: } \end{gathered}$ | $\mathrm{R}_{1}=\{(1,1),(1,2),(3,1),(3,3),(2,2)\}$ |
| Optio <br> n B: | $\mathrm{R}_{1}=\{(1,1),(1,2),(3,1),(3,3),(2,2),(2,1)\}$ |
| $\begin{gathered} \text { Optio } \\ \text { n C: } \end{gathered}$ | $\mathrm{R}_{1}=\{(1,1),(1,2),(3,1),(3,3),(2,2),(2,1),(1,3)\}$ |
| $\begin{gathered} \text { Optio } \\ \text { n D: } \end{gathered}$ | $\mathrm{R}_{1}=\{(1,1),(1,2),(3,1),(3,3),(2,1),(1,3)\}$ |
| 8. | If the relations R and S are as given below , then R o S is given by |
| $\begin{gathered} \text { Optio } \\ \text { n A: } \end{gathered}$ | $\{(2, z),(3, x),(3, z)\}$ |
| $\begin{gathered} \text { Optio } \\ \text { n B: } \end{gathered}$ | $\{(1, x),(2, y),(3, z),(4, a)\}$ |
| Optio | $\{(1, a),(2, d),(3, b)\}$ |


| n C: |  |
| :---: | :---: |
| Optio <br> n D: | Does not exist |
| 9. | Let $\mathrm{A}=\{2,3,6,12,24,36\}$ with partial order of divisibility then least element of A is |
| $\begin{gathered} \text { Optio } \\ \text { n A: } \end{gathered}$ | 2 |
| $\begin{gathered} \text { Optio } \\ \text { n B: } \end{gathered}$ | 36 |
| $\begin{gathered} \text { Optio } \\ \text { n C: } \end{gathered}$ | 2,3 |
| $\begin{gathered} \text { Optio } \\ \text { n D: } \end{gathered}$ | No least element |
| 10. | For $P(n): 1^{2}+3^{2}+5^{2}+\cdots+(2 n-1)^{2}=\frac{n(2 n-1)(2 n+1)}{3}$, L.H.S of $\mathrm{P}(\mathrm{k}+1)$ is |
| $\begin{gathered} \text { Optio } \\ \text { n A: } \end{gathered}$ | $\frac{k(2 k-1)(2 k+1)}{3}$ |
| $\begin{gathered} \hline \text { Optio } \\ \text { n B: } \end{gathered}$ | $\frac{(k+1)(2 k-1)(2 k+1)}{3}$ |
| $\begin{gathered} \text { Optio } \\ \text { n C: } \end{gathered}$ | $\frac{(k+1)(2 k-1)(2 k+3)}{3}$ |
| $\begin{gathered} \text { Optio } \\ \text { n D: } \end{gathered}$ | $\frac{(k+1)(2 k+1)(2 k+3)}{3}$ |
| 11. |  |
| $\begin{gathered} \text { Optio } \\ \text { n A: } \end{gathered}$ | f 1 is not a function |
| $\begin{gathered} \text { Optio } \\ \text { n B: } \end{gathered}$ | f 1 is a one to one function |


| $\begin{gathered} \text { Optio } \\ \text { n C: } \end{gathered}$ | f 1 is a onto function |
| :---: | :---: |
| $\begin{gathered} \text { Optio } \\ \text { n D: } \end{gathered}$ | f 1 is a one to one and onto function |
| 12. | Let f be a function from R to R with $\mathrm{f}(\mathrm{x})=\mathrm{x}^{2}$. Which of the following statement is true? |
| $\begin{gathered} \text { Optio } \\ \text { n A: } \end{gathered}$ | f is an one to one function |
| $\begin{gathered} \text { Optio } \\ \text { n B: } \end{gathered}$ | f is a bijective function |
| $\begin{gathered} \text { Optio } \\ \text { n C: } \end{gathered}$ | f is an invertible function |
| $\begin{gathered} \text { Optio } \\ \text { n D: } \end{gathered}$ | f is an into function |
| 13. | The generating function of the following series ( $1,2,3,4,5,6, \ldots \ldots \ldots .$.$) is$ |
| $\begin{gathered} \text { Optio } \\ \text { n A: } \end{gathered}$ | $\frac{1}{(1-x)^{2}}$ |
| Optio <br> n B: | $\frac{1}{1-x^{2}}$ |
| $\begin{gathered} \text { Optio } \\ \text { n C: } \end{gathered}$ | $\frac{1}{1-x^{3}}$ |
| $\begin{gathered} \text { Optio } \\ \text { n D: } \end{gathered}$ | $\frac{1}{1-x}$ |
| 14. | In the arithmetic progression $\{5,9,13,17, \ldots \ldots$.$\} the recurrence relation is$ |
| $\begin{gathered} \text { Optio } \\ \text { n A: } \end{gathered}$ | $\mathrm{a}_{\mathrm{n}}=\mathrm{a}_{\mathrm{n}-1}+4, \mathrm{a}_{1}=5, \mathrm{n}>2$ |
| $\begin{gathered} \text { Optio } \\ \text { n B: } \end{gathered}$ | $\mathrm{a}_{\mathrm{n}}=\mathrm{a}_{\mathrm{n}-1}+4, \mathrm{a}_{1}=5, \mathrm{n} \geq 2$ |
| $\begin{gathered} \text { Optio } \\ \text { n C: } \end{gathered}$ | $\mathrm{a}_{\mathrm{n}}=\mathrm{a}_{\mathrm{n}+1}+4, \mathrm{a}_{1}=5, \mathrm{n} \geq 2$ |


| Optio <br> $\mathrm{n} \mathrm{D}:$ | $\mathrm{a}_{\mathrm{n}}=\mathrm{a}_{\mathrm{n}}+4, \mathrm{a}_{1}=5, \mathrm{n} \geq 2$ |
| :---: | :--- |
|  |  |
| 15. | Which of the following is not type of lattice |
| Optio <br> n A: | Complemented lattice |
| Optio <br> n B: | Distributive lattice |
| Optio <br> n C: | Hasse diagram |
| Optio <br> n D: | Bounded lattice |
|  |  |
| 16. | Number of edges in complete graph with 7 vertices |
| Optio <br> n A: | 20 |
| Optio <br> n B: | 19 |
| Optio <br> n C: | 21 |
| Optio <br> n D: | 14 |
| 18. |  |
| Optio <br> n D: | State the properties of the functions f and g in the following figure. |
| Optio <br> n A: | Trivial graph |
| Optio <br> n B: | Regular graph |
| Optio | Bipartite graph |




| 20. | An (m , n) coding function $e: B^{m} \rightarrow B^{n}$ can detect k or less errors if and only if its <br> minimum distance is |
| :---: | :--- |
| Optio <br> $\mathrm{n} \mathrm{A:}$ | At least $\mathrm{k}+2$ |
| Optio <br> $\mathrm{n} \mathrm{B:}$ | At least $\mathrm{k}+1$ |
| Optio <br> $\mathrm{n} \mathrm{C}:$ | At least $2 \mathrm{k}+1$ |
| Optio <br> $\mathrm{n} \mathrm{D:}$ | At least $2 \mathrm{k}+2$ |


| Q2 | Solve any Four out of Six ( 5 marks each) |
| :---: | :---: |
| A | Three problems A, B and C have been given to a class of 80 students. It is found that 30 students solved A, 40 students solved B, 50 students solved C, 20 students solved both A and B, 25 students solved both B and C, 10 students solved both A and C, and 10 students solved all three problems. Fid the number of students who did not solved all three problems. |
| B | Let R be a relation on the set of integers Z defined by aRb if and only if $\mathrm{a} \equiv \mathrm{m}(\bmod 5)$. Prove that R is equivalence relation. Find $Z / R$. |
| C | Let $f: R \rightarrow R$ be a function defied as $f(x)=2 x+3$ and $g: R \rightarrow R$ be another function as $g(x)=x-1$. Find $(g \circ f)^{-1}$ |
| D | Solve the recurrence relation $a_{n}=3 a_{n-1}-2 a_{n-2}$ with initial condition $a_{1}=5$, $\mathrm{a}_{2}=3$ |
| E | Show that following two graphs are isomorphic. <br> G1 <br> G2 |
| F | Let $\mathrm{H}=\left[\begin{array}{ccc}1 & 0 & 0 \\ 1 & 1 & 0 \\ 0 & 1 & 1 \\ 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1\end{array}\right]$ be a parity check matrix. |


|  | Decode the following words relative to maximum likelyhood decoding <br> function $\mathrm{e}_{\mathrm{H}}$. |  |  |
| :--- | :--- | :--- | :--- |
|  | i) 011001 | ii) 101001 | iii) 111010 |


| Q3 | Solve any Four out of Six (5 marks each) |
| :---: | :--- |
| A | Using laws of logic simplify $\sim(\mathrm{p} \wedge \mathrm{q}) \rightarrow(\sim \mathrm{p} \mathrm{V}(\sim \mathrm{p}$ V q $))$ |
| B | Let $\mathrm{A}=\{1,2,3,4\}$ and $\mathrm{R}=\{(1,2),(2,3),(3,4),(2,1)\}$. Find transitive closure of R using Warshall's <br> Algorithm |
| C | State Pigeonhole principle and extended pigeonhole principle. <br> How many students must be in a class to guarantee that at least two students receive the same <br> score on the final exam, if the exam is graded on a scale from 0 to 100 points? |
| Which of the following graphs has a Eulerian path or circuit? If it has mention the same. If it does <br> not exist explain why. |  |



Graph 2


Graph 3
$\sum_{x_{2}}^{x_{5}}$

## University Mumbai

Examination 2020
Examinations Commencing from $7^{\text {th }}$ January 2021 to $20^{\text {th }}$ January 2021
Program: Computer Engineering
Curriculum Scheme: Rev2019
Examination: SE Semester : III Course Code: CSC 303
Course Name: Data Structures
Time: 2 hour
Max. Marks: 80



| 4. | The process of accessing data stored in a serial access memory is similar to manipulating data on a $\qquad$ |
| :---: | :---: |
| Option A: | Heap |
| Option B: | Binary Tree |
| Option C: | Array |
| Option D: | Stack |
| 5. | The prefix form of $A-B /\left(C{ }^{*}{ }^{\wedge} E\right)$ is? |
| Option A: | -/*^ACBDE |
| Option B: | -ABCD*^DE |
| Option C: | -A/B*C^DE |
| Option D: | -A/BC*^DE |
| 6. | Which of the following is not an inherent application of stack? |
| Option A: | Reversing a string |
| Option B: | Evaluation of postfix expression |
| Option C: | Implementation of recursion |
| Option D: | Job scheduling |
| 7. | The data structure required for Breadth First Traversal on a graph is? |
| Option A: | Stack |
| Option B: | Array |
| Option C: | Queue |
| Option D: | Tree |
| 8. | Circular Queue is also known as |
| Option A: | Ring Buffer |
| Option B: | Square Buffer |


| Option C: | Rectangle Buffer |
| :---: | :---: |
| Option D: | Curve Buffer |
| 9. | Linked lists are not suitable for the implementation of _ |
| Option A: | Insertion sort |
| Option B: | Radix sort |
| Option C: | Polynomial manipulation |
| Option D: | Binary search |
| 10. | In Linked List implementation, a node carries information regarding |
| Option A: | Data |
| Option B: | Link |
| Option C: | Data and Link |
| Option D: | Node |
| 11. | A linear collection of data elements where the linear node is given by means of pointer is called? |
| Option A: | Linked list |
| Option B: | Node list |
| Option C: | Primitive list |
| Option D: | Unordered list |
| 12. | Linked list is considered as an example of $\qquad$ type of memory allocation. |
| Option A: | Dynamic |
| Option B: | Static |
| Option C: | Compile time |


| Option D: | Heap |
| :---: | :---: |
| 13. | Linked list data structure offers considerable saving in |
| Option A: | Computational Time |
| Option B: | Space Utilization |
| Option C: | Space Utilization and Computational Time |
| Option D: | Speed Utilization |
| 14. | Heap can be used as |
| Option A: | Priority queue |
| Option B: | Stack |
| Option C: | A decreasing order array |
| Option D: | Normal Array |
| 15. | Which of the following is not an inherent application of stack? |
| Option A: | Reversing a string |
| Option B: | Evaluation of postfix expression |
| Option C: | Implementation of recursion |
| Option D: | Job scheduling |
| 16. | The type of expression in which operator succeeds its operands is? |
| Option A: | Infix Expression |
| Option B: | Prefix Expression |
| Option C: | Postfix Expression |
| Option D: | Both Prefix and Postfix Expressions |

$\square$

| 17. | Which of the following is not an inherent application of stack? |
| :---: | :---: |
| Option A: | Reversing a string |
| Option B: | Evaluation of postfix expression |
| Option C: | Implementation of recursion |
| Option D: | Job scheduling |
| 18. | A linear list of elements in which deletion can be done from one end (front) and insertion can take place only at the other end (rear) is known as $\qquad$ |
| Option A: | Queue |
| Option B: | Stack |
| Option C: | Tree |
| Option D: | Linked List |
| 19. | Queues serve major role in ___ |
| Option A: | Simulation of recursion |
| Option B: | Simulation of arbitrary linked list |
| Option C: | Simulation of limited resource allocation |
| Option D: | Simulation of heap sort |
| 20. | Which of the following is not the type of queue? |
| Option A: | Ordinary queue |
| Option B: | Single ended queue |
| Option C: | Circular queue |
| Option D: | Priority queue |


| Q2 . | (20 Marks) |
| :---: | :--- |
| A | Solve any Two 5 marks each |


| i. | State application of stack. Explain one. (5) |
| :--- | :--- |
| ii. | State the types of Linked List in detail.(5) |
| iii. | What is a Binary Search Tree? Give one of its application.(5) |
| B | Solve any One 10 marks each |
| i. | What is Topological Sort? Explain it with an example of a DAG.(10) |
| ii. | Explain Huffman Coding with an example. |


| Q3. | Solve any four questions of $\mathbf{5}$ marks each. (20 marks) |
| :---: | :--- |
| A | What is a Data Structure? Explain in details? |
| B | Differentiate between stack and a queue? |
| C | Explain the polynomial addition application of Linked Lists? |
| D | What is Hashing? Explain the different types? |
| E | What are the tree traversals? |
| F | Differentiate between DFS and BFS. |

## University of Mumbai

## Examination 2020

Examinations Commencing from $7^{\text {th }}$ January 2021 to $20^{\text {th }}$ January 2021
Program: Computer Engineering
Curriculum Scheme: Rev2019
Examination: SE SemesterIII
Course Code: CSC304and Course Name: Digital Logic and Computer Organization and Architecture
Time: 2 hourMax.
Marks: 80



| Q1. | Choose the correct option for following questions. All the Questions are <br> compulsory and carry equal marks |
| :---: | :--- |
|  |  |
| 1. | Digital circuit can be made by the repeated use of ................... |
| Option A: | OR gates |
| Option B: | NOT gates |
| Option C: | NAND gates |
| Option D: | X-NOR gate |
| 2. | A full-adder circuit has both the inputs 1 and the carry-in is also 1. Its sum and <br> carry outputs will be $----------------~ a n d ~$ |
| Option A: | 1 and 0 |
| Option B: | 0 and 1 |
| Option C: | 0 and 0 |
| Option D: | 1 and 1 |
|  |  |
| 3. | A combinational circuit is one in which the output depends on the |
| Option A: | Input combination at the time |
| Option B: | Input combination and the previous output |
| Option C: | Input combination at that time and the previous input combination |
| Option D: | Present output and the previous output |


|  |  |
| :---: | :--- |
| 4. | Hexadecimal equivalent of 101.0101111 is |
| Option A: | 5.5 E |
| Option B: | 5.58 |
| Option C: | A.58 |
| Option D: | A.5E |
|  |  |
| 5. | The Gray code equivalent of (3A7) ${ }_{16}$ is |
| Option A: | 010110001011 |
| Option B: | 01000011100 |
| Option C: | 001001110100 |
| Option D: | 001110100111 |
| O. |  |
| Option A: | $(1 \mathrm{D})_{16}$ |
| Option B: | (E3) ${ }_{16}$ |
| Option C: | $(114)_{16}$ |
| Option D: | $(133)_{16}$ |
| Option B: | Displayed |
| Option A: | 1 KB |
| Option C: | 2 KB |
| Option D: | 20 KB |
|  |  |
| 7. |  |
|  | If addressing bits are 20 then main memory capacity is---- |


| Option C: | Restored |
| :---: | :---: |
| Option D: | Observed |
| 9. | String of significant digit is known as---- |
| Option A: | Mantissa |
| Option B: | sign |
| Option C: | normalize |
| Option D: | exponent |
| 10. | In restoring division algorithm which step is/are common in all cycle. |
| Option A: | Shift left |
| Option B: | Shift right |
| Option C: | Shift right, A-M |
| Option D: | Shift left, A-M |
| 11. | In non restoring division Quotient is in---- |
| Option A: | A |
| Option B: | M |
| Option C: | Q |
| Option D: | Count |
| 12. | In Booths algorithm when $\mathrm{Q}_{0}$ and $\mathrm{Q}_{-1}$ bits are equal then do----- |
| Option A: | Right shift |
| Option B: | Right shift and A+M |
| Option C: | Arithmetic Right shift |
| Option D: | Left shift and A+M |
| 13. | During fetch cycle opcode is loaded into--- |
| Option A: | IR |


| Option B: | MAR |
| :---: | :---: |
| Option C: | PC |
| Option D: | MBR |
| 14. | In instruction store B then $\mathrm{B}=$ |
| Option A: | $\mathrm{B} \leftarrow \mathrm{PC}$ |
| Option B: | $\mathrm{B} \leftarrow \mathrm{AC}$ |
| Option C: | $\mathrm{B} \leftarrow \mathrm{IR}$ |
| Option D: | $B \leftarrow B$ |
| 15. | MOV AX (500) is |
| Option A: | Direct Addressing mode |
| Option B: | Indirect Addressing mode |
| Option C: | Immediate Addressing mode |
| Option D: | Register Addressing mode |
| 16. | While handling multiple interrupt sequential interrupt is |
| Option A: | Nested Interrupt |
| Option B: | Enable Interrupt |
| Option C: | Disable Interrupt |
| Option D: | Allow Interrupt |
| 17. | Microprogram for all instruction are stored in----- |
| Option A: | Main memory |
| Option B: | Cache memory |
| Option C: | Control memory |
| Option D: | Secondary memory |
| 18. | Volatile memory is typically used for -- |


| Option A: | Primary storage |
| :---: | :--- |
| Option B: | Secondary storage |
| Option C: | Territory storage |
| Option D: | Temporary storage |
|  |  |
| 19. | The criteria for selecting a particular block to be replaced is decided by |
| Option A: | Mapping function |
| Option B: | Write policy |
| Option C: | Data transfer technique |
| Option D: | Replacement policy |
|  |  |
| 20. | In memory hierarchy -----is at top of the memory hierarchy pyramid. |
| Option A: | Cache |
| Option B: | Main memory |
| Option C: | Hard disk |
| Option D: | Register |
|  |  |


| Q2 |  |
| :---: | :--- |
| A | Solve any Two 5 marks each |
| i. | Why bus arbitration is required and explain Daisy Chaining method. |
| ii. | Represent the decimal number 27 in binary using (i) Binary Code (ii) BCD <br> Code (iii) Octal Code (iv) Hexadecimal Code |
| iii. | Explain anyone data transfer technique. |
| B | Solve any One <br> each |
| i. | Explain Flynn's classification. |
| ii. | Explain Booths algorithm with the help of flowchart and multiply signed |


|  | number 17 x 3. |
| :---: | :--- |
| Q3. |  |
| A | Solve any Two 5 marks each |
| i. | Show the 8-bit subtraction of (+68 ) and (-43) <br> using 2's Complement representation. |
| ii. | Explain in detail hardwired control unit. Discuss one method to implement <br> it. |
| iii. | Explain segmentation. <br> BSolve any One <br> each |
| i. | Design a 16: 1 multiplexer using 4:1 multiplexer |
| ii. | If main memory 64 KB, cache memory 4KB,Block size 32 bytes then design <br> cache using direct mapping function and find no of cache lines, tag <br> bits,word bits |

## University of Mumbai

## Examination 2020

Examinations Commencing from from 7 ${ }^{\text {th }}$ January 2021 to $20^{\text {th }}$ January 2021
Program: Computer Engineering
Curriculum Scheme: Rev2019
Examination: SE Semester III
Course Code: CSC305_and Course Name: Computer Graphics
Time: 2 hour
Max. Marks: 80

| Q1. | Choose the correct option for following questions. All the Questions are compulsory and carry equal marks |
| :---: | :---: |
| 1. | Initial value of d in Midpoint ellipse in region 1 is given by |
| Option A: | $\mathrm{B}^{2}-\mathrm{A}^{2} \mathrm{~B}+\mathrm{A}^{2} / 4$ |
| Option B: | 2DY - DX |
| Option C: | $1-\mathrm{R}$ |
| Option D: | B - AB + 4A |
| 2. | In midpoint ellipse, at the junction of region 1 and region 2 |
| Option A: | $\mathrm{XB}^{2}=\mathrm{YA}^{2}$ |
| Option B: | $\mathrm{XB}^{2}>\mathrm{YA}^{2}$ |
| Option C: | $\mathrm{XB}^{2}<\mathrm{YA}^{2}$ |
| Option D: | $\mathrm{XB}^{2}!=\mathrm{YA}^{2}$ |
| 3. | Q3. Seed fill algorithm is classified as ___ fill and ___ fill. |
| Option A: | FLOOD, BOUNDARY |
| Option B: | EVEN, ODD |
| Option C: | SCAN, FLOOD |
| Option D: | BOUNDARY, SCAN |
| 4. | Seed fill algorithm may be either ___ connect or ___ connect |
| Option A: | 2, 4 |
| Option B: | 4, 8 |


| Option C: | 8,16 |
| :---: | :---: |
| Option D: | 4, 4 |
| 5. | Seed fill algorithm is |
| Option A: | Recursive |
| Option B: | Non-recursive |
| Option C: | Object oriented |
| Option D: | Procedure oriented |
| 6. | Slope of ellipse at the junction of region 1 and region 2 is |
| Option A: | 1 |
| Option B: | 0 |
| Option C: | -1 |
| Option D: | Infinite |
| 7. | Point is consider outside the polygon if value of winding number is |
| Option A: | Zero |
| Option B: | One |
| Option C: | Non Zero |
| Option D: | Infinite |
| 8. | Q8. After Scaling the $\triangle \mathrm{ABC}$, where A $(0,0)$, B $(20,20)$, C $(40,0), 0.5$ units in Xdirection and 0.5 units in Y-direction by keeping point B fixed, the new coordinates of $\triangle \mathrm{ABC}$ will be |
| Option A: | A (10,10), B (20,20), C (30,10) |
| Option B: | A (0.5, 0.5), B ( $20.5,20.5$ ), C ( 45.5 ) |
| Option C: | A (20,20), B (40,40), C ( 60,20 ) |
| Option D: | A (10,10), B (20,20), C (40,0) |
| 9. | A composite transformation matrix is obtained by determining the -------- of |


|  | matrix of individual transformation |
| :---: | :---: |
| Option A: | Sum |
| Option B: | Product |
| Option C: | Sum of Product |
| Option D: | Product of sum |
| 10. | Which is the correct equation for 3D rotation about X -axis |
| Option A: | $\mathrm{x}^{\prime}=\mathrm{x} ; \mathrm{y}^{\prime}=\mathrm{y} \cos \theta-\mathrm{z} \sin \theta ; \mathrm{z}^{\prime}=\mathrm{y} \sin \theta+\mathrm{z} \cos \theta$ |
| Option B: | $\mathrm{x}^{\prime}=\mathrm{x} \cos \theta-\mathrm{y} \sin \theta ; \mathrm{y}^{\prime}=\mathrm{x} \sin \theta-\mathrm{y} \cos \theta ; \mathrm{z}^{\prime}=\mathrm{z}$ |
| Option C: | $x^{\prime}=x \cos \theta+z \sin \theta ; y^{\prime}=y ; z^{\prime}=z \cos \theta-x \sin \theta$ |
| Option D: | $\mathrm{x}^{\prime}=\mathrm{x} ; \mathrm{y}^{\prime}=\mathrm{y} \sin \theta-\mathrm{z} \cos \theta ; \mathrm{z}^{\prime}=\mathrm{y} \cos \theta+\mathrm{z} \sin \theta$ |
| 11. | The transformation in which an object can be shifted to any coordinate position in three dimensional plane is called |
| Option A: | Shearing |
| Option B: | Scaling |
| Option C: | Rotation |
| Option D: | Translation |
| 12. | On multiplying the matrix of the individual transformation representation sequences, we obtain a |
| Option A: | Projection transformation |
| Option B: | Construct solid geometry method |
| Option C: | Composite transformation |
| Option D: | Isometric Projection |
| 13. | We can represent a three-dimensional object by a -------------- also. |
| Option A: | Method |
| Option B: | Equation |
| Option C: | Point |


| Option D: | Angle |
| :---: | :---: |
| 14. | Q14. In Sutherland Hodgeman Polygon Clipping Algorithm, $\begin{array}{l}\text { vertices of } \\ \text { polygon are processed in order against the } \\ \text { rectangular }\end{array}$ <br> window boundaries to produce an output vertex list for the clipped polygon. |
| Option A: | Concave, four |
| Option B: | Convex, two |
| Option C: | Concave, two |
| Option D: | Convex, four |
| 15. | In Weiler Atherton Polygon Clipping Algorithm, which of the below statement is correct? |
| Option A: | For an outside-to-inside pair of vertices follow the polygon boundary. |
| Option B: | For an outside-to-inside pair of vertices follow the window boundary. |
| Option C: | For an inside-to-outside pair of vertices follow the polygon boundary. |
| Option D: | For an outside-to-inside pair of vertices no boundary to be followed. |
| 16. | In Back Face Detection Method, a point ( $\mathrm{x}, \mathrm{y}, \mathrm{z}$ ) is inside the polygon surface if: |
| Option A: | $\mathrm{Ax}+\mathrm{By}+\mathrm{Cz}+\mathrm{D}<0$ |
| Option B: | $\mathrm{Ax}+\mathrm{By}+\mathrm{Cz}+\mathrm{D}>0$ |
| Option C: | $A x+B y+C z+D=0$ |
| Option D: | Ax+By+Cz+Dx<0 |
| 17. | In Z-buffer Method, the depth buffer and the refresh buffer are initialized to : |
| Option A: | depth(x,y)=1, refresh(x,y)= Intensity of background |
| Option B: | $\operatorname{depth}(\mathrm{x}, \mathrm{y})=0, \operatorname{refresh}(\mathrm{x}, \mathrm{y})=$ Intensity of Surface |
| Option C: | $\operatorname{depth}(\mathrm{x}, \mathrm{y})=1, \operatorname{refresh}(\mathrm{x}, \mathrm{y})=$ Intensity of Surface |
| Option D: | $\operatorname{depth}(\mathrm{x}, \mathrm{y})=0, \operatorname{refresh}(\mathrm{x}, \mathrm{y})=$ Intensity of background |
| 18. | In Area Subdivision Method, which of the 4 following conditions is false for no further subdivision? |


| Option A: | All surfaces are outside surfaces with respect to the given area |
| :---: | :--- |
| Option B: | Only one inside, overlapping, or surrounding surface, is in the area |
| Option C: | All surfaces are inside surfaces with respect to the given area |
| Option D: | A surrounding surface obscures all other surfaces within the area boundaries. |
|  |  |
| 19. | Compared to Image Space Methods, Object space Methods of Visible Surface <br> Detection |
| Option A: | Take Less time |
| Option B: | Use Continous Operations |
| Option C: | Are less accurate |
| Option D: | Fall under Raster Scan Systems |
| 20. | The matrix representation for translation in homogeneous coordinates is |
| Option A: | $\mathrm{P}^{\prime}=\mathrm{T}+\mathrm{P}$ |
| Option B: | $\mathrm{P}^{\prime}=\mathrm{S} * \mathrm{P}$ |
| Option C: | $\mathrm{P}^{\prime}=\mathrm{R} * \mathrm{P}$ |
| Option D: | $\mathrm{P}^{\prime}=\mathrm{T}^{*} \mathrm{P}$ |

## Q. 2

A. Solve any Two

5 marks each
i. Give advantage and disadvantage of DDA and BRESENHAM line drawing algorithm.
ii. Derive initial value $\mathrm{D}_{0}$ for BRESENHAM line drawing algorithm.
iii. Compare BEZIER curve with B-SPLINE curve.
B. Solve any one 10 marks each
i. Given a line AB where $\mathrm{A}(0,0)$ and $\mathrm{B}(5,2)$ calculate all the points lying on a line using BRESENHMA line drawing algorithm.
ii. Given a triangle ABC where $\mathrm{A}(0,0), \mathrm{B}(10,10)$ and $\mathrm{C}(-10,10)$ apply $180^{\circ}$ rotation. Find the new coordinate of point P after rotation.
Q. 3
A. Solve any Two 5 marks each
i. Explain Depth Buffer method for visible surface detection.
ii. Explain Cohen-sutherland line clipping algorithm
iii. Give matrix for shear and reflection transformation.
B. Solve any one

10 marks each
i. Clip the given line AB where $\mathrm{A}(30,5)$ and $\mathrm{B}(30,55)$ against a clipping rectangle where $X w m i n=20, Y w m i n=20, X w m a x=40$ and Ywmax $=40$ using Liang Barsky line clipping algorithm.
ii. Define composite transformation. Derive composite transformation matrix for rotation at an arbitrary point.

